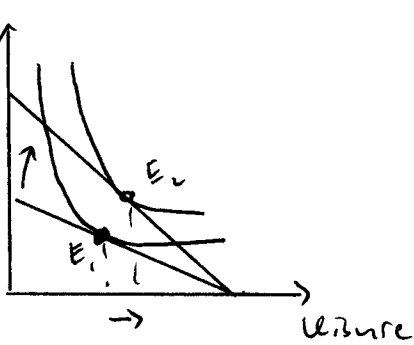


Version A

1. (a) Goods



As drawn leisure ↑ so work ↓

(b) For saver when  $r \uparrow$

- (i) Sub effect  $r \uparrow$ 
  - ⇒ move from current to future cons.
  - ⇒ save ↑
- (ii) Income effect  $r \uparrow$ 
  - ⇒ income ↑
  - ⇒ consumption ↑ in all periods
  - ⇒ save ↓

(c) Opportunity cost is the value of the most highly-valued foregone alternative

2. (a)  $MPP_L = \frac{dQ}{dL} = \frac{d}{dL} (5L^{-.75}) = 5 \times .75 \times L^{-1.25} = 3.75 \times (10,000)^{-1.25} = \frac{3.75}{10} = \underline{\underline{.375}}$

(b)  $MC = \# \text{ units labor needed to produce 1 more table} \times \text{cost of labor}$   
 $= (MPP_L)^{-1} \times \text{wage} = (.375)^{-1} \times 50 = \underline{\underline{\$133.33}}$

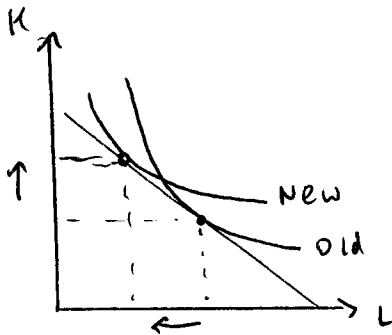
(c) First get  $MRS_{KL}$

$Q = K^{.25} L^{.75} \Rightarrow Q^4 = K L^3 \Rightarrow K = Q^4 / L^3$

So  $MRS_{KL} = - \frac{dK}{dL} = 3 \frac{Q^4}{L^4} = 3 \left( \frac{Q}{L} \right)^4 = 3 \left( \frac{5000}{10000} \right)^4 = \frac{3}{16}$

Also  $\frac{P_L}{P_K} = \frac{50}{200} = \frac{1}{4}$ . Mix is not optimal since  $MRS_{KL} \neq \frac{P_L}{P_K}$

3. (a)

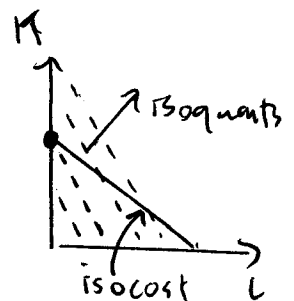


Isoquants flatten, as  $K \downarrow$  needs more  $L \uparrow$  to hold output constant. Then  $K \uparrow$  and  $L \downarrow$  as drawn

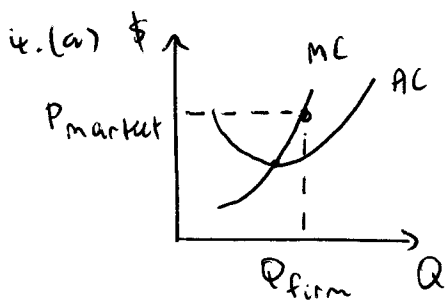
- (b) Labor does ↓ due to substitution effect as switch to capital
- But labor ↑ due to scale effect as cheaper production means produce more.

(c) Isoquants are straight lines

⇒ At corner where use all capital (as drawn) or all labor.



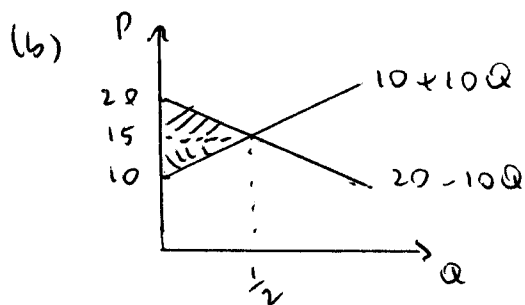
Version A (cont.)



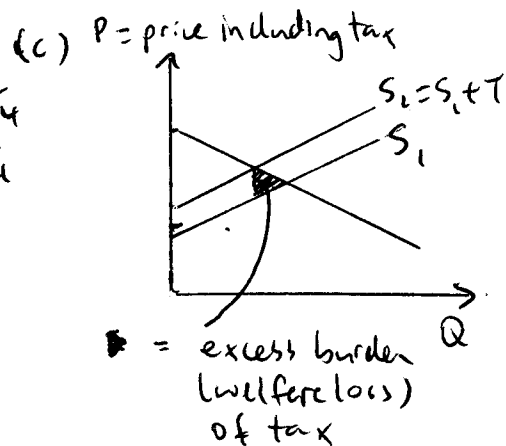
(b) Due to a decreasing costs industry. As industry size expands, input prices fall, leading to lower costs for each firm and hence lower price.

(c) Increasing returns to scale if output more than doubles as inputs double. This favors large firms, so competitive market unlikely.

5(a)  $D = S \Rightarrow 20 - 10Q = 10 + 10Q \Rightarrow 10 = 20Q \Rightarrow Q = \frac{1}{2} \Rightarrow P = 15$   
500,000 cars at \$15,000 each



$PS = \frac{1}{2} \times \frac{1}{2} \times 5 = 1\frac{1}{4}$   
 $CS = \frac{1}{2} \times \frac{1}{2} \times 5 = 1\frac{1}{4}$   
 Total surplus =  $2\frac{1}{2} = \underline{\underline{\$2.5 \text{ billion}}}$



Version B

1. Same as Version A

2. (a) See version A

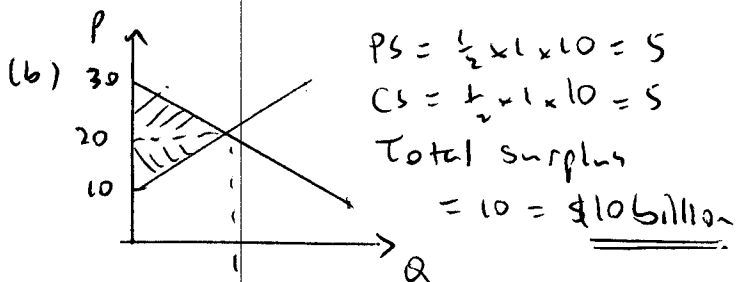
(b)  $MC = (MPP_L)^{-1} \times \text{wage} = (.375)^{-1} \times 50 = \underline{\underline{\$266.67}}$

(c)  $MRTS_{KL} = \frac{3}{16}$  (see version A).

$\frac{P_L}{P_K} = \frac{100}{200} = \frac{1}{2} \neq MRTS_{KL}$ . Mix B not optimal

3 & 4 See version A

5. (a)  $D = S \Rightarrow 30 - 10Q = 10 + 10Q$   
 $\Rightarrow 20 = 20Q$   
 $\Rightarrow Q = 1 \Rightarrow P = 20$   
1,000,000 cars at \$20,000



$PS = \frac{1}{2} \times 1 \times 10 = 5$   
 $CS = \frac{1}{2} \times 1 \times 10 = 5$   
 Total surplus =  $10 = \underline{\underline{\$10 \text{ billion}}}$

(c) See version A

Multiple Choice

Ques.    Version A    Version B

1            a            a

$$[MR = \frac{DTR}{DQ} = \frac{30 \times 18 - 20 \times 20}{30 - 20} = \frac{540 - 400}{10} = 14]$$

2            a            b

3            b            b

$$[AC = Q^2 - 4Q + 9 \Rightarrow \frac{dAC}{dQ} = 2Q - 4 = 0 \text{ at } Q = 2]$$

4            c            d

5            c            c

[Statutory incidence of tax does not matter].

Out of 40

75M    28

Med    26

25M    23

A    33 or better

A-    31    "    "

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B+    29    "    "

B    27    "    "

B-    25    "    "

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C+    23.5    "    "

C    22    "    "

C-    20.5    "    "

---

D+    19    "    "

D    18    "    "

D-    17    "    "